

# NUMBER SYSTEM - PIPES & CISTERNS

## Advertisements

1. **Inlet:** A pipe connected with a tank or cistern or a reservoir, that fills it, is known as an inlet.
2. **Outlet:** A pipe connected with a tank or cistern or reservoir, emptying it is known as an outlet.

## Important Concepts

1. If a pipe can fill a tank in  $x$  hours, part filled in 1 hour =  $1/x$ .
2. If a pipe can fill a tank in  $x$  hours and another pipe in  $y$  hours, part of tank filled in 1 hour when both the pipes are opened simultaneously =  $(1/x + 1/y) = (x+y)/xy$   
 $\therefore$  Time taken to fill the tank by both the pipes when opened simultaneously =  $xy/(x+y)$
3. If a pipe can empty a tank in " $y$ " hours, then tank emptied in 1 hour =  $1/y$
4. If a pipe can empty a tank in  $y$  hours and another pipe in  $x$  hours, part of tank emptied in 1 hour when both the pipes are opened simultaneously =  $(1/x + 1/y) = (x+y)/xy$   
 $\therefore$  Time taken to empty the tank by both the pipes when opened simultaneously =  $xy/(x+y)$
5. If a pipe can fill a tank in  $x$  hours and another pipe can empty the full tank in  $y$  hours (where  $y > x$ ), then on opening both the pipes, the net part filled in 1 hour =  $1/x - 1/y = (y - x)/xy$   
 $\therefore$  When both the pipes are opened simultaneously, time taken to fill the tank fully =  $xy/(y - x)$  hours.
6. If a pipe can fill a tank in  $x$  hours and another pipe can empty the full tank in  $y$  hours (where  $x > y$ ), then on opening both the pipes, the net part emptied in 1 hour =  $1/y - 1/x = (x - y)/xy$   
 $\therefore$  When both the pipes are open simultaneously, time taken to empty the tank fully =  $xy/(x - y)$  hours.

## Solved Examples

### [Solved Examples](#)

[aptitude\\_pipes\\_cisterns.htm](#)